



# CP Violation in charm decays with LHCb

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# Why Charm?

Charm is the only **up-type** quark allowing full range of probes for mixing and *CP* Violation:

- top quarks do not hadronize;
- no  $\pi^0$  oscillations possible.

*CP* violation is predicted to be small in charm sector, any nonzero measurement might give a significant hint towards New physics scenarios.

Unprecedented huge samples of D decays are necessary (much bigger amount than 1M events needed) in order to approach SM predictions.

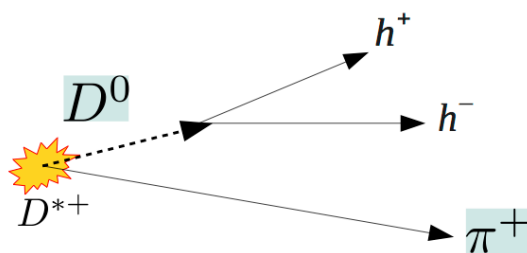
LHCb has got this statistics and sensitivity.

# How we do it?

There are three ways of CPV:

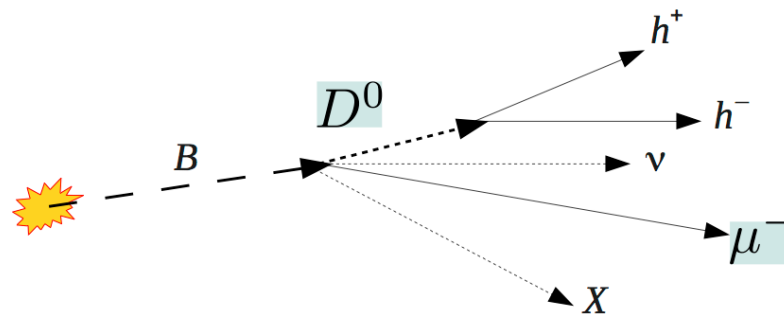
- in mixing (**indirect**),  $D^0 \rightarrow \text{anti-}D^0 \neq \text{anti-}D^0 \rightarrow D^0$
- in decay amplitudes (**direct**),  $D \rightarrow f \neq \text{anti-}D \rightarrow \text{anti-}f$
- in interference (**indirect**) between direct decays and decays with mixing

We use two types of charm meson decays:



Prompt:

- coming from Collision Point
- tagged by soft pion
- numerous



Secondary:

- coming from semileptonic B-meson decay
- tagged by a lepton
- cover full decay time range

# **Time-integrated study**

# Direct $CP$ violation in two-body decays

Experimentally yields are measured

$$A_{\text{raw}}(f) = \frac{N(D^{*+} \rightarrow D^0(\rightarrow f)\pi^+) - N(D^{*-} \rightarrow \bar{D}^0(\rightarrow f)\pi^-)}{N(D^{*+} \rightarrow D^0(\rightarrow f)\pi^+) + N(D^{*-} \rightarrow \bar{D}^0(\rightarrow f)\pi^-)}$$

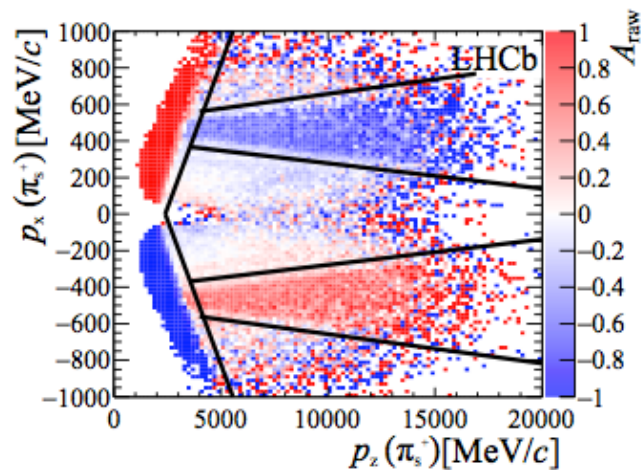
$$\approx A_{CP}(f) + A_D(f) + A_D(\pi) + A_P(D^*)$$

$A_D(\pi)$  soft-pion (tag) detection asymmetry

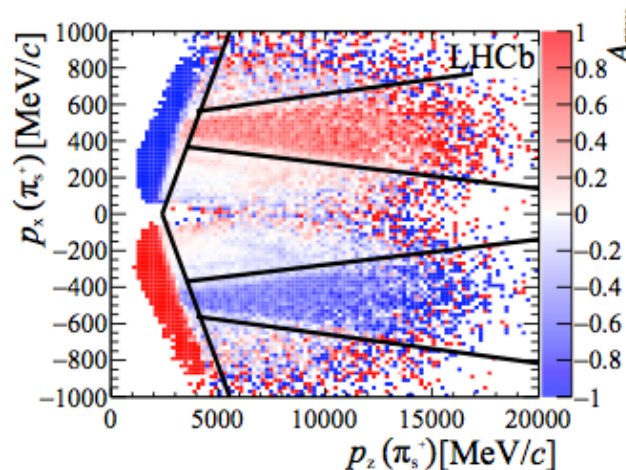
$A_D(f)$  final state detection asymmetry

$A_P(D^*)$  production asymmetry

We also check that the instrumental asymmetry is healthy:



magnet up



magnet down

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# Direct $CP$ violation in two-body decays

We study prompt  $D^0 \rightarrow KK$  and  $D^0 \rightarrow \pi\pi$ .

To keep detection and production asymmetries under control, we measure:

$$\begin{aligned}\Delta A_{CP} &\equiv A_{CP}(K^- K^+) - A_{CP}(\pi^- \pi^+) \\ &\approx \Delta a_{CP}^{\text{dir}} \left( 1 + \frac{\overline{\langle t \rangle}}{\tau} y_{CP} \right) + \frac{\Delta \langle t \rangle}{\tau} a_{CP}^{\text{ind}}\end{aligned}$$

some residual experiment-dependent contribution from indirect  $CP$  violation can still be present (from  $\langle t \rangle$ , integrated with decay time acceptance). This contribution is estimated in data:

$$\frac{\Delta \langle t \rangle}{\tau(D^0)} = 0.1153 \pm 0.0007(\text{stat}) \pm 0.0018(\text{syst})$$

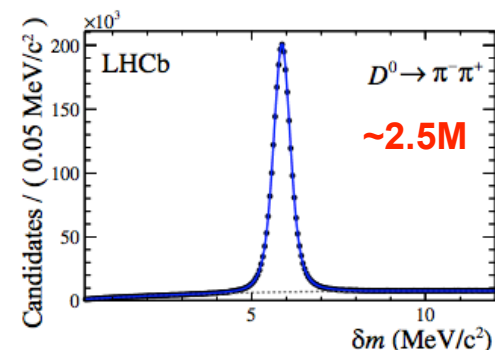
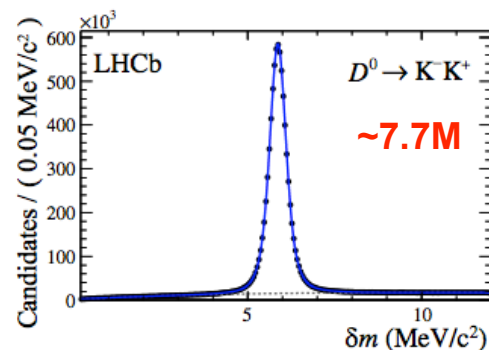
$$\frac{\overline{\langle t \rangle}}{\tau(D^0)} = 2.0949 \pm 0.0004(\text{stat}) \pm 0.0159(\text{syst})$$

PRL116(2016)191601

# Prompt two-body decays

Analysis summary:

- uses full run 1 statistics ( $3 \text{ fb}^{-1}$ )
- tight selection for all possible sources of asymmetry (multibody background, secondary charm, instrumental asymmetries);
- simultaneous fits to  $D^{*-}$  and  $D^{*+}$  samples to  $\delta m = m(D^{*-}) - m(D^0) - m(\pi^-)$ ;
- extensive checks of result stability.



$$\Delta A_{CP} = (-0.10 \pm 0.08 \text{ (stat)} \pm 0.03 \text{ (syst)}) \%$$

Compatible with null hypothesis with a statistical precision below  $10^{-3}$   $CP$  asymmetry in the charm sector from a single experiment.

Systematic uncertainty already approaching  $10^{-4}$  level.

# Two-body $\Delta A_{CP}$ world average status

New result supersedes previous published LHCb result on  $0.6 \text{ fb}^{-1}$

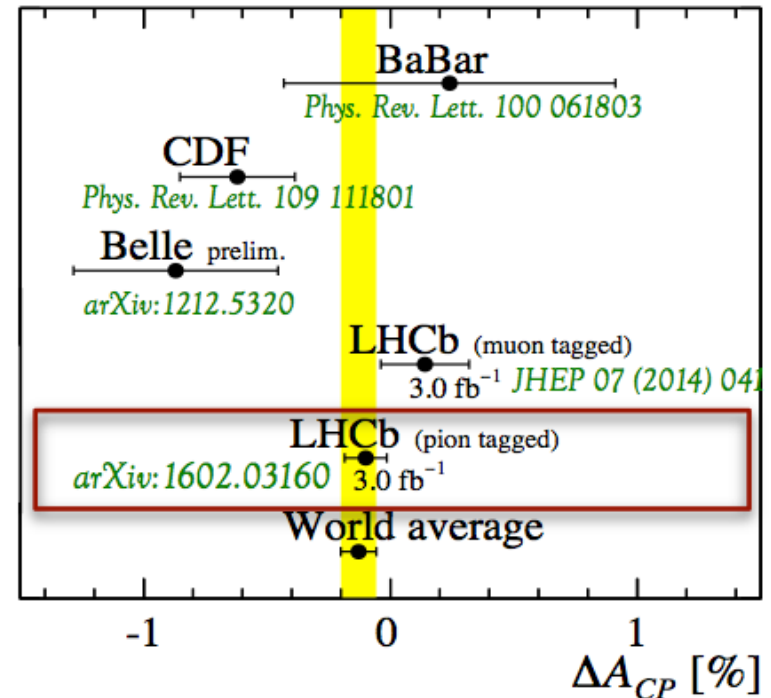
$$\Delta A_{CP} = (-0.82 \pm 0.21)\% \text{ [PRL 108(2012), 111602].}$$

and preliminary result on  $1 \text{ fb}^{-1}$

$$\Delta A_{CP} = (-0.34 \pm 0.18)\% \text{ [LHCb-CONF-2013-003].}$$

Fully compatible with independent semi-leptonic LHCb result:

$$\Delta A_{CP} = (+0.14 \pm 0.16 \text{ (stat)} \pm 0.08 \text{ (syst)})\%$$



Naïve weighted average (neglecting indirect CPV contribution) gives  $\Delta A_{CP} = (-0.129 \pm 0.072)\%$  fully dominated by LHCb results.



# **Time-dependent study**

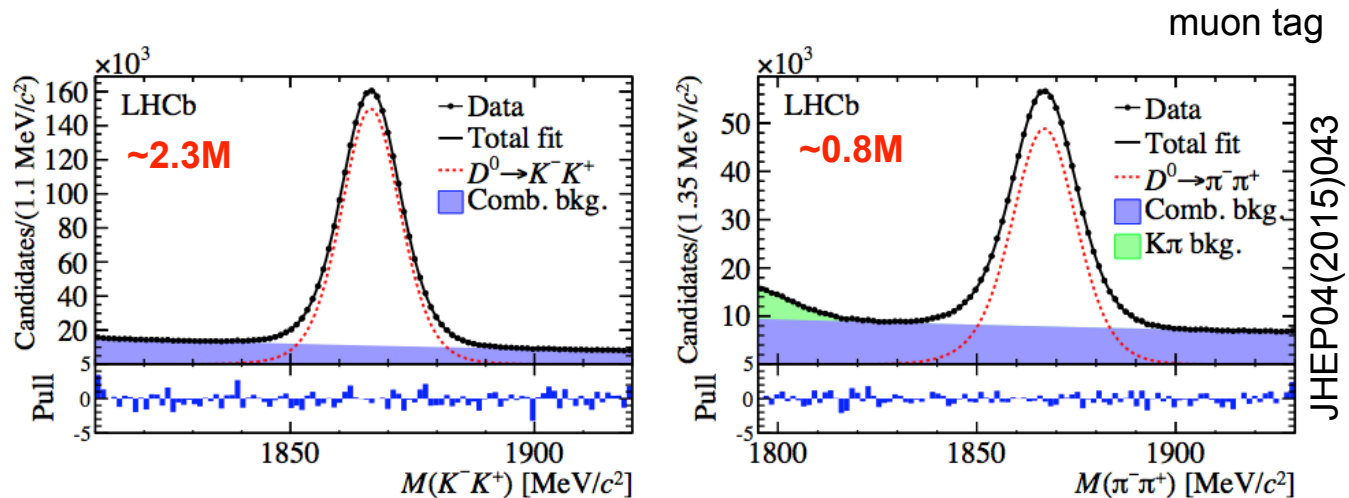
# $A_\Gamma$ asymmetry

Now, we deal with the time-dependent asymmetry:

$$A_{CP}(t) = \frac{\Gamma(D^0(t) \rightarrow f) - \Gamma(\bar{D}^0(t) \rightarrow f)}{\Gamma(D^0(t) \rightarrow f) + \Gamma(\bar{D}^0(t) \rightarrow f)} \simeq a_{CP}^{dir} - \frac{t}{\tau_{D^0}} A_\Gamma$$

with  $A_\Gamma$  taking contributions only from CPV in the mixing and in the decay ( $x$ ,  $y$  and  $\phi$  are mixing parameters):

$$A_\Gamma \approx (A_{CP}^{mix}/2 - A_{CP}^{dir}) y \cos \phi - x \sin \phi$$

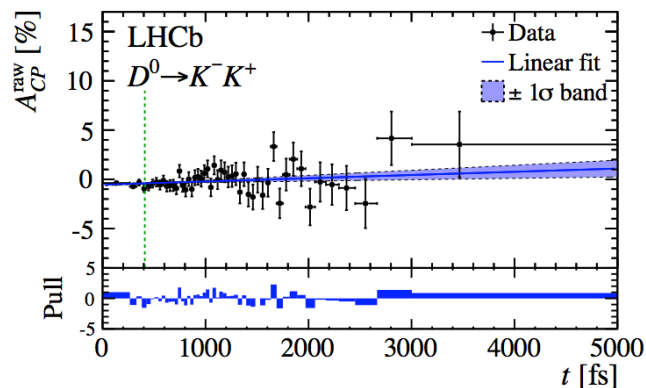


# $A_\Gamma$ measurements

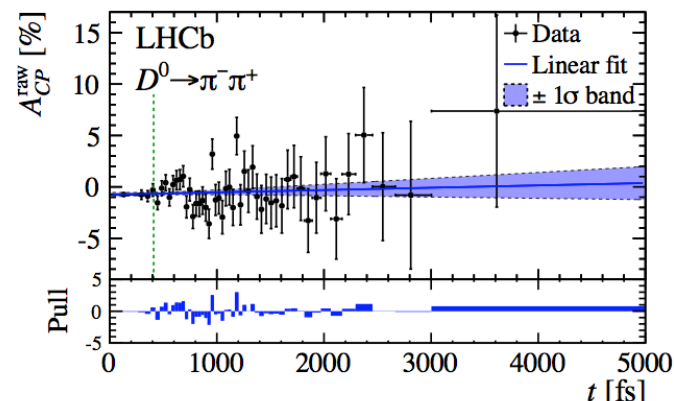
Measure yields asymmetry in various bin of  $D^0$  proper time and than fit the straight line:

$$A_{CP}(t) \simeq a_{CP}^{dir} - \frac{t}{\tau_{D^0}} A_\Gamma$$

muon tag analysis used  $3 \text{ fb}^{-1}$



$$A_\Gamma(K^- K^+) = (-0.134 \pm 0.077^{+0.026}_{-0.034})\%$$



$$A_\Gamma(\pi^- \pi^+) = (-0.092 \pm 0.145^{+0.025}_{-0.033})\%$$

Consistent with  $A_\Gamma$  from prompt decays (using  $1 \text{ fb}^{-1}$ ):

$$A_\Gamma(\pi\pi) = (0.033 \pm 0.106 \pm 0.014)\%$$

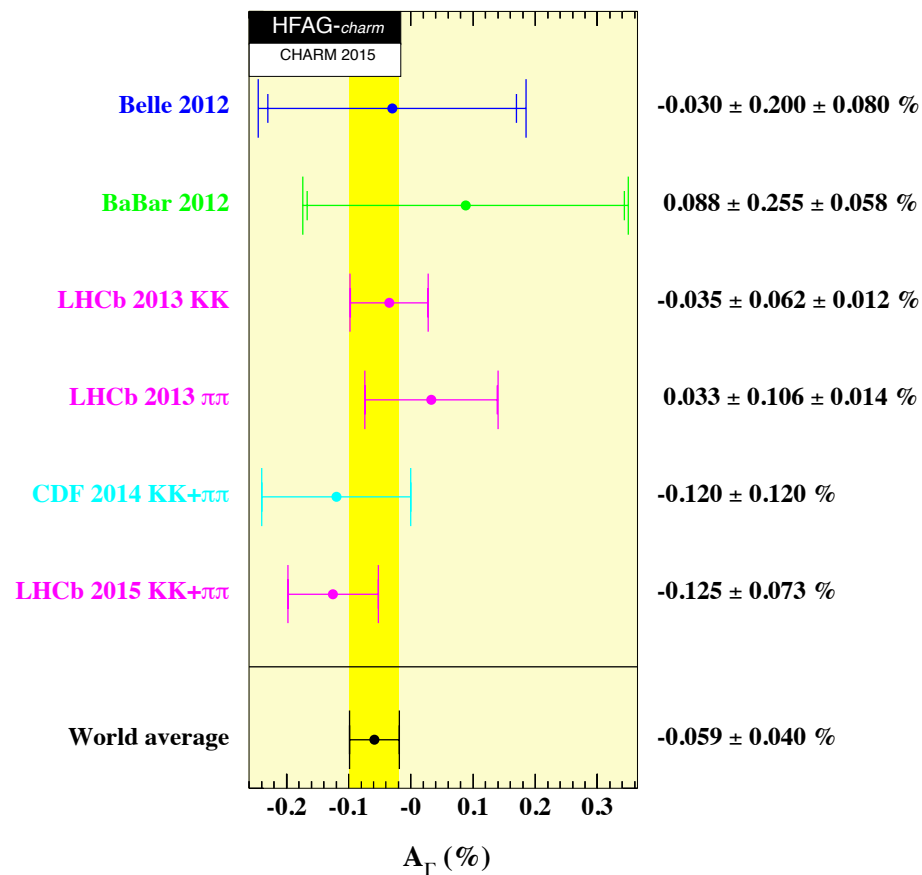
$$A_\Gamma(KK) = (-0.035 \pm 0.062 \pm 0.012)\%$$

PRL 112 (2014) 041801

# $A_{\Gamma}$ world averages

World best measurement is LHCb prompt using  $1 \text{ fb}^{-1}$  of integrated luminosity.

The leading contributions are coming from LHCb.



# Standard Model Test for Two-Body Decays

Extensive LHCb study in the sector allowed for the SM comparison

$\Delta A_{CP}$ :  
PRL116(2016)191601  
JHEP07(2014)041

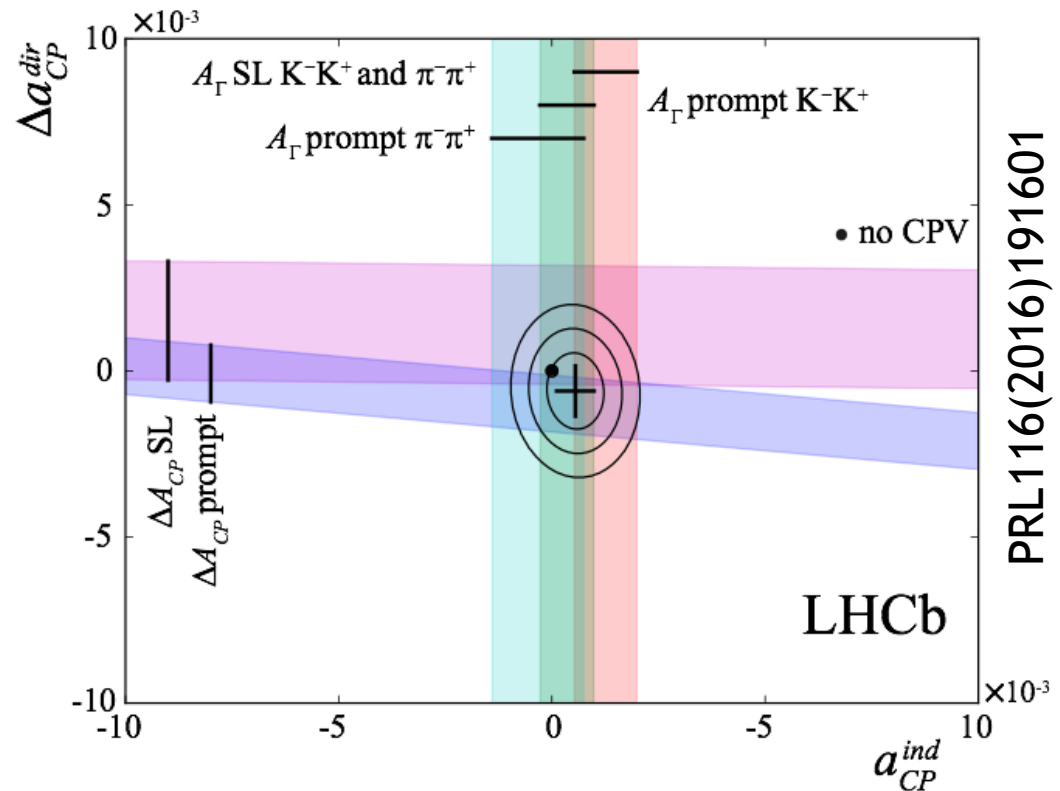
$A_{\Gamma} \approx -a_{ind}$ :  
PRL112(2014)041801  
JHEP04(2015)043

$y_{CP}$ :  
JHEP04(2012)129

LHCb average:

$a_{ind} = 0.058 \pm 0.044 \%$

$\Delta a_{dir} = -0.061 \pm 0.076 \%$



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**No CP-Violation from LHCb only: p-value = 0.32**

# Multi-body decays

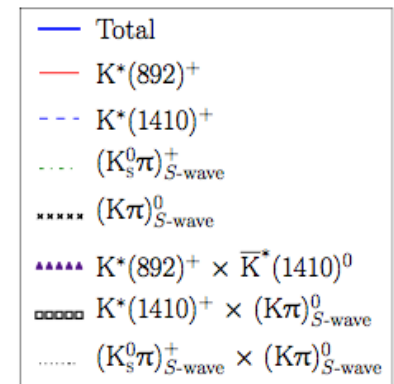
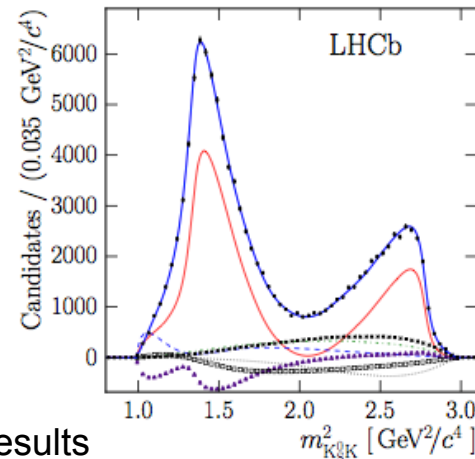
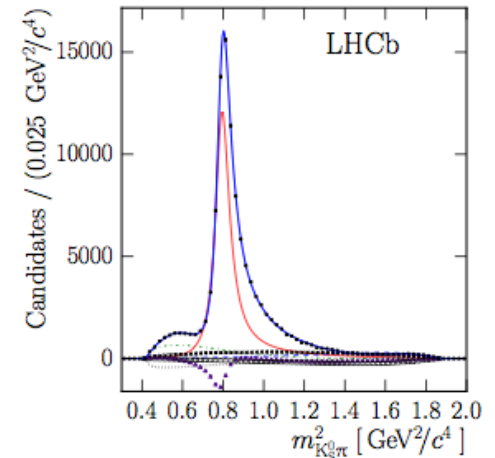
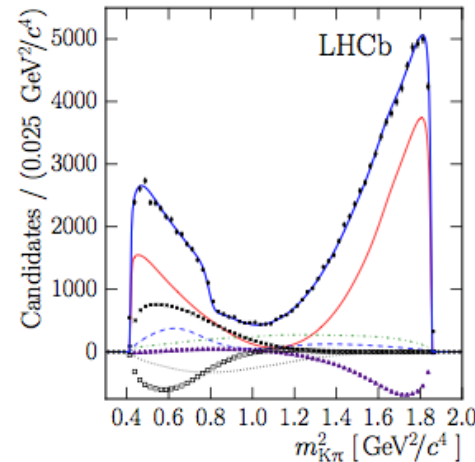
# Amplitude analysis of $D^0 \rightarrow K_S K \pi$

## Features:

- First LHCb amplitude analysis
- Large statistics ( $\sim 180K$ )
- Complex Dalitz plot structure
- Used GPUs

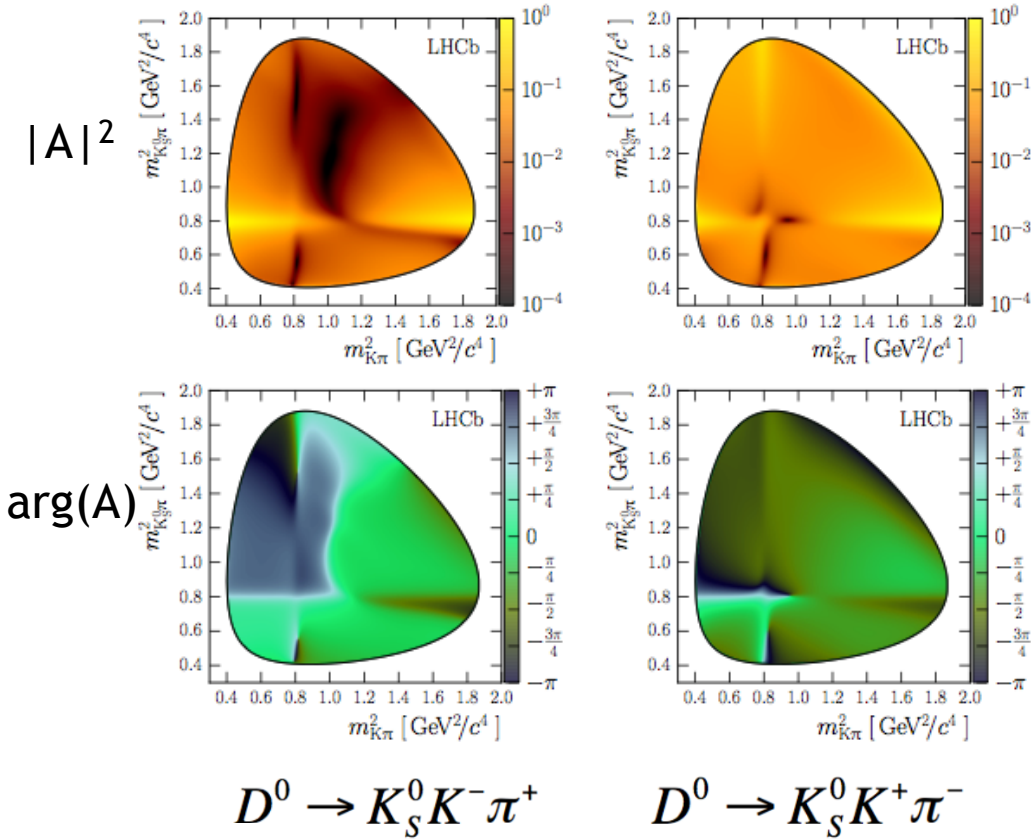
## Aims:

- Isobar model is useful for CKM angle  $\gamma$  measurements;
- Tests of SU(3) flavour symmetry
- Model-dependent search for CPV.



S-wave: GLASS vs. LASS give consistent results

# CP violation in $D^0 \rightarrow K_S K \pi$



Once you have an isobar model

$$A = \sum_R a_R e^{i\phi_R} A_R$$

← Resonance 'lineshape'

Substitute

$$A = \sum_R a_R (1 \pm \Delta a_R) e^{i(\phi_R \pm \Delta\phi_R)} A_R$$

← Resonance amplitude

With the sign dependent on the  $D^0$  flavour tag and refit the models

- Perform  $\chi^2$  test w.r.t. no-CPV hypothesis ( $\Delta = 0$ ).
- Find  $\chi^2/\text{ndf} = 32.3/32 = 1.01$ , p-value 0.45 (including systematics).

SU(3) flavour symmetry tests:

Results in agreement between LASS and GLASS and in favour of theoretical scenario with small  $\eta$ - $\eta'$  mixing angle.

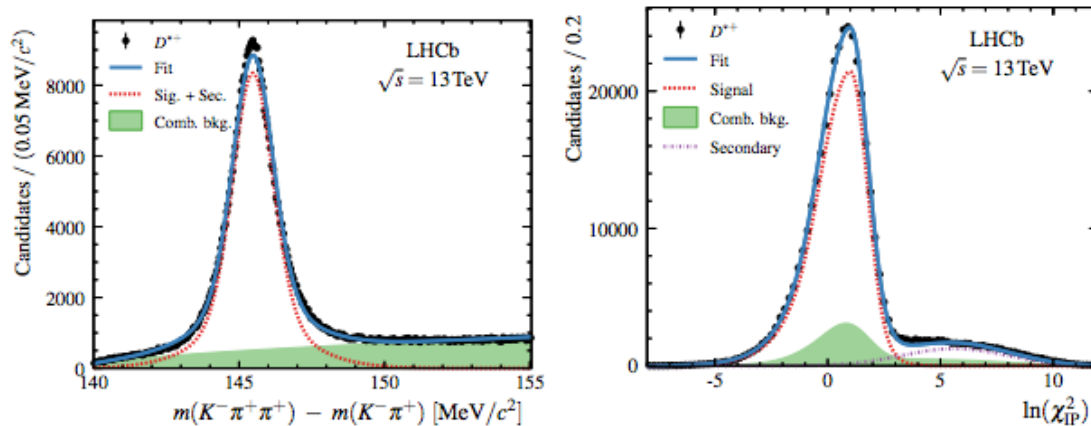


# Conclusions and Outlook

In Run I:

- Achieved statistical precision below  $10^{-3}$  (for two-body decays), and systematics already close to the impressive value of  $10^{-4}$ .
- This precision is already world-leading in many decay modes.
- No hints of  $CP$ -violation (or anomalies) have been found so far, however LHCb has just started to approach SM expectations.

See results for Run II:



300K of tagged prompt  $D^0 \rightarrow K\pi$  decays in first  $5\text{ pb}^{-1}$  of data.

JHEP 03 (2016) 159